## PHYS 2B(A) QUIZ 3

FORM A: BEEBCA

FORM B: CEEACB

FORMC: BBDBAB

FORMD: BBCDAB

## Physics 2B-Section A Electricity and Magnetism Prof. Ivan K. Schuller Winter 2006

## TEST 3

MULTIPLE CHOICE. Choose the one alternative that best completes the statement or answers the question.

A sphere with radius 2.0 mm carries a 3.0- $\mu$ C charge. What is the potential difference,  $V_B - V_A$ , between point B 2.0 m from the center of the sphere and point A 6.0 m from the center of the sphere? (The value of k is  $9.0 \times 10^9$  N·m<sup>2</sup>/C<sup>2</sup>.)

from Ch 23. We know

$$\vec{E}(\vec{r}) = \frac{k2}{r} \hat{r}$$

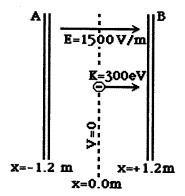
$$\vec{V}_{B} = 2.0 \text{ m}$$

$$= +9 \times 10^{9} \times 3.0 \times (0^{-6} (+\frac{1}{r})_{A}^{B})$$

$$= 27 \times 10^{3} (\frac{1}{r_{B}} - \frac{1}{r_{A}}) = 9000 \text{ J}$$

When there is a net static charge present on a perfect conductor, and no other charges are present

- A) the electric field inside the conductor need not be zero if the conductor is hollow.
- B) the charge will be uniformly distributed over the outside of the conductor (i.e., the surface charge density will be constant).
- C) the surface charge density will be greatest where the conductor is flat and smallest where there are sharp protuberances or points.
- D) every point throughout the entire conductor will be at zero potential.
- E) every point throughout the entire conductor will be at a constant potential, but not necessarily at zero potential.
- A) wrong electric field is ALWAYS zero inside the conductor regardless of the sphere while in equilibrium
- B) wrong, the surface charge density is greatest unever there is a sharp protuberace or point to make the potential constant through the surface
- c) wrong, explaination as in (B)
- D) wrong, the potential in the conductor is constant but could be non-zero values
- E) Correct



Two large conducting parallel plates A and B are separated by 2.4 m. A uniform field of 1500 V/m, in the positive x-direction, is produced by charges on the plates. The center plane at x = 0.0 m is an equipotential surface on which V = 0. An electron is projected from x = 0.0 m, with an initial kinetic energy K = 300 eV, in the positive x-direction, as shown. In this figure, the electric potential difference  $V_A - V_B$  is closest to:

$$V_{A} - V_{B} = - \int_{B}^{A} E dl = - \int_{+1.2}^{-1.2} 1500 \frac{V}{m} i dx i m$$

A dipole with a moment of 2.0 C•nm is centered about the origin and is oriented along the x-axis with the positive charge to the right of the origin. What is the potential at a point 11.0 m from the origin  $\pi/6$  radians below the axis? (The value of k is 9.0 x  $10^9$  N • m<sup>2</sup>/C<sup>2</sup>.)

+ 1500 x 2.4 V =+3600 V

$$V(r,\theta) = \frac{\text{RPcos}\theta}{\text{V}^2} \qquad (\text{from example } 25-5 \text{ in the textbook})$$

$$= 9x10^9 \times \frac{2.0 \times 10^{-9} \times \text{Cos} \frac{76}{6}}{(11.0)^2} = 0.13 \text{ V}$$

A proton with speed  $1.5 \times 10^5$  m/s falls through a potential difference of 100 volts, gaining speed. What is the speed reached?

Energy Concervation: 
$$PEA + KEA = PEB + KEB$$

$$\Rightarrow (PEA - PEB) = (KEB - KEA)$$

$$PEA - PEB = ? (VA - VB) = (I_6 \times 10^{-104} \text{ C}) (100 \text{ V}) = I_{.6} \times 10^{-111} \text{ J}$$

$$KEB = KEA + (PEA - PEB) = \frac{1}{2} M_P V_0^2 + I_{.6} \times 10^{-111} \text{ J}$$

$$= \frac{1}{2} \times I_{.6} \times 10^{-27} \times (I_{.5} \times 10^5)^2 + I_{.6} \times 10^{-17}$$

$$\Rightarrow \frac{1}{2} \times (I_{.6} \times 10^{-27}) \times V^2 = \frac{1}{2} \times I_{.6} \times 10^{-27} (I_{.5} \times 10^5)^2 + I_{.6} \times 10^{-17}$$

$$\Rightarrow V = 2.04 \times 10^5 \text{ m/s}$$

Two conductors are joined by a long copper wire. Thus

- - A) each conductor must be at the same potential. B) each carries the same free charge.
  - C) the electric field at the surface of each conductor is the same.
  - D) no free charge can be present on either conductor.
  - E) the potential on the wire is the average of the potential of each conductor.

B) 
$$V_A = V_B = V$$
,  $\frac{RP_A}{Y_A} = \frac{kP_B}{Y_B}$ 

$$\frac{\mathcal{G}_A}{V_A} = \frac{\mathcal{G}_B}{V_B} \qquad \Rightarrow \mathcal{G}_A \neq \mathcal{G}_B \text{ when } V_A \neq V_B$$

C) 
$$E_A = \frac{kZ_A}{Y_A^2} = \frac{V_A}{Y_A} = \frac{V}{Y_A}$$
  
Similarly  $E_B = \frac{V}{Y_A}$ 

the net total charge is always remain the same