

**3-16.** Find the temperature of a blackbody if its spectrum has its peak at (a)  $\lambda_m = 700 \text{ nm}$  (visible), (b)  $\lambda_m = 3 \text{ cm}$  (microwave region), and (c)  $\lambda_m = 3 \text{ m}$  (FM radio waves).

**3-17.** If the absolute temperature of a blackbody is doubled, by what factor is the total emitted power increased?

**3-18.** Calculate the average energy  $\bar{E}$  per mode of oscillation for (a) a long wavelength  $\lambda = 10 hc/kT$ , (b) a short wavelength  $\lambda = 0.1 hc/kT$ , and compare your results with the classical prediction  $kT$  (see Equation 3-9). (The classical value comes from the equipartition theorem discussed in Chapter 8.)

**3-19.** A particular radiating cavity has the maximum of its spectra distribution of radiated power at a wavelength of  $27.0 \mu\text{m}$  (in the infrared region of the spectrum). The temperature is then changed so that the total power radiated by the cavity doubles. (a) Compute the new temperature. (b) At what wavelength does the new spectral distribution have its maximum value?

**3-21.** The energy reaching Earth from the Sun at the top of the atmosphere is  $1.36 \times 10^3 \text{ W/m}^2$ , called the *solar constant*. Assuming that Earth radiates like a blackbody at uniform temperature, what do you conclude is the equilibrium temperature of Earth?

**3-22.** A 40-W incandescent bulb radiates from a tungsten filament operating at 3300 K. Assuming that the bulb radiates like a blackbody, (a) what are the frequency  $f_m$  and the wavelength  $\lambda_m$  at the maximum of the spectral distribution? (b) If  $f_m$  is a good approximation of the average frequency of the photons emitted by the bulb, about how many photons is the bulb radiating per second? (c) If you are looking at the bulb from 5 m away, how many photons enter your eye per second? (The diameter of your pupil is about 5.0 mm.)

**8-3.** The molar mass of oxygen gas ( $\text{O}_2$ ) is about 32 g/mol and that of hydrogen gas ( $\text{H}_2$ ) about 2 g/mol. Compute (a) the rms speed of  $\text{O}_2$  and (b) the rms speed of  $\text{H}_2$  when the temperature is  $0^\circ\text{C}$ .

**8-5.** (a) Find the total kinetic energy of translation of 1 mole of  $\text{N}_2$  molecules at  $T = 273 \text{ K}$ . (b) Would your answer be the same, greater, or less for 1 mole of He atoms at the same temperature? Justify your answer.

**8-6.** Use the Maxwell distribution of molecular speeds to calculate  $\langle v^2 \rangle$  for the molecules of a gas.

**8-7.** Neutrons in a nuclear reactor have a Maxwell speed distribution when they are in thermal equilibrium. Find  $\langle v \rangle$  and  $v_m$  for neutrons in thermal equilibrium at 300 K. Show that  $n(v)$

**8-10.** Compute the total translational kinetic energy of one liter of oxygen held at a pressure of one atmosphere and a temperature of  $20^\circ\text{C}$ .

**8-42.** This problem is related to the equipartition theorem. Consider a system in which the energy of a particle is given by  $E = Au^2$ , where  $A$  is a constant and  $u$  is any coordinate or momentum that can vary from  $-\infty$  to  $+\infty$ . (a) Write the probability of the particle having  $u$  in the range  $du$  and calculate the normalization constant  $C$  in terms of  $A$ . (b) Calculate the average energy  $\langle E \rangle = \langle Au^2 \rangle$  and show that  $\langle E \rangle = \frac{1}{2}kT$ .

**8-43.** Calculate the average value of the magnitude of  $v_x$  from the Maxwell distribution.